

Davis–Putnam–Logemann–Loveland (DPLL) algorithm

DPLL is a complete, [backtracking](#)-based [search algorithm](#) for [deciding the satisfiability](#) of [propositional logic formulae](#) in [conjunctive normal form](#), i.e. for solving the [CNF-SAT](#) problem.

Algorithm DPLL

Input: A set of clauses Φ .

Output: A Truth Value.

function DPLL(Φ)

if Φ is a consistent set of literals
 then return true;

if Φ contains an empty clause
 then return false;

for every unit clause l **in** Φ

$\Phi \leftarrow \text{unit-propagate}(l, \Phi);$

for every literal l that occurs pure **in** Φ

$\Phi \leftarrow \text{pure-literal-assign}(l, \Phi);$

$l \leftarrow \text{choose-literal}(\Phi);$

return DPLL($\Phi \wedge l$) **or** DPLL($\Phi \wedge \text{not}(l)$);

Davis–Putnam–Logemann-Loveland (DPLL) algorithm (cont.)

Where:

- `unit-propagate(\perp , Φ)` and `pure-literal-assign(\perp , Φ)` are functions that return the result of applying unit propagation and the pure literal rule, respectively, to the literal \perp and the formula Φ .

They replace every occurrence of \perp with "true" and every occurrence of `not` with "false" in the formula Φ , and simplify the resulting formula.

- $\Phi \wedge \perp$ denotes the simplified result of substituting "true" for \perp in Φ .

